Roll No.

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B. E. (Fifth Semester) Examination, April-May/Nov.-Dec. 2020

(New Scheme)

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AUTOMATIC CONTROL SYSTEM

Time Allowed: Three hours

Maximum Marks: 80

Minimum Pass Marks: 28

Note: Part (a) of each question is compulsory.

Attempt any two parts from (b), (c) and (d) from each question.

Unit-I

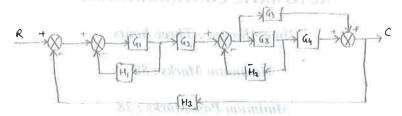
 (a) Mention the difference between open loop & closed loop system.

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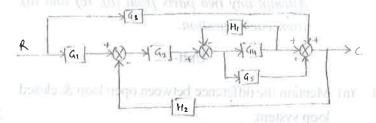
(b) Write the differential equations for the system shown below and also draw equivalent electrical network using force-voltage analogy.

 K_1 $\frac{1}{3}$ $\frac{1}{5}$ $\frac{1}{5}$ K_2 $\frac{1}{5}$ $\frac{$

(c) Derive the transfer function for the system shown below, using block diagram reduction technique.



(d) A system is shown below, determine the overall transfer function using Mason's gain formula



Unit-II

(a) Define rise time.

- (b) Derive the expression for critical damped response of a second order control system for a unit step input.
- (c) Explain the derivative control action in detail. Also show how it reduces max. Overshoot and effect on steady state error.
- (d) The open loop transfer function of a unity feedback control system is $G(s) = \frac{2S}{S(S+5)}$. If the damping ratio is to be made 0.75 using tachometer feedback, Calculate the tachometer constant and max. overshoot.

Unit-III

3. (a) Define Stability.

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(b) Using Routh criterion, determine the relation between K and T so that the unity feedback control system

having
$$G(S) = \frac{K}{S[S(S+10)+T]}$$
 is stable.

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$$G(S)H(S) = \frac{K}{S(S+2)(S+4)}$$

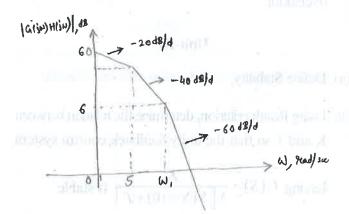
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(d) Explain the procedure for plotting root locus.

Unit-IV

- 4. (a) Define gain margin & phase margin.
 - (b) Figure shows the Bode magnitude plot for the open loop transfer functions G(S)H(S) of a negative feedback system. Determine the transfer function:



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- (c) A unity feedback control system has $G(S) = \frac{20}{S(S+1)(S+2)}$. Draw Nyquist plot and comment on stability.
- (d) Sketch the polar plot for the system having $G(S)H(S) = \frac{10}{S(S+1)(S+2)}$. Calculate its gain margin in dB and comment on stability.

Unit-V

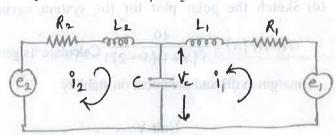
- 5. (a) Define State and state variables.
 - (b) The transfer function of a system is given by $\frac{Y(s)}{U(s)} = \frac{S^2 + 3S + 2}{S^3 + 9S^2 + 26S + 24}$. Determine the state model. Use direct decomposition method.
 - (c) A system is represented by a

$$\dot{X}(t) = \begin{bmatrix} -1 & 0 & 0 \\ 0 & -2 & 0 \\ 0 & 0 & -3 \end{bmatrix} X(t) + \begin{bmatrix} 1 \\ 1 \\ 0 \end{bmatrix} u$$

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Test for controllability & observability if $C = \begin{bmatrix} 1 & 0 & 2 \end{bmatrix}$.

(d) For the electrical network shown, determine the state model. Consider i_1 , i_2 and V_c state variables. The output variables are i_1 & i_2



(a) Delitic Vide and dan variables

(b) The constantionation of a system is given by

 $\frac{V(x)}{V(x)} = \frac{S' + 9S' + 20S + 24}{S' + 9S' + 20S + 24}$ Determine the state

model. Use direct decomposition triallied

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